SUGGESTIONS FOR IMPROVING THE EFFICIENCY OF GROUND-BASED NEUTRON MONITORS FOR DETECTING SOLAR NEUTRONS

N.IUCCI, M.PARISI, C.SIGNORINI, M.STORINI and G.VILLORESI Istituto di Fisica dello Spazio Interplanetario del CNR Dipartimento di Fisica - Universita' "La Sapienza" Piazzale Aldo Moro, 2 - 00185 ROMA, ITALY

1. <u>Introduction</u>. On the occasion of the June 3, 1982 intense samma-ray solar flare a significant increase in counting rate due to solar neutrons was observed by the neutron monitors of JungfrauJoch/1/ and Lomnicky Stit/2/ located at middle latitudes and high altitudes. In spite of a larger detector employed (12-NM64) and of the smaller solar zenith angle, the amplitude of the same event observed at Rome (see Figure 1) was much smaller and the statistical fluctuations of the salactic cosmic ray background higher than the ones registered at the two mountain stations, because of the greater atmospheric depth at which the Rome monitor is located.

We will study here the efficiency for detecting a solar neutron event by a NM-64 monitor as a function of the Sun zenith angle, atmospheric depth and threshold rigidity of the station; some suggestions for improving remarkably the detection efficiency will be given.

2. The efficiency of a standard neutron monitor for the detection of solar neutron events. The increase $\Delta I(X_{\Theta})$ produced by a solar neutron event in the neutron monitor counting rate will depend on the amount of atmospheric matter in the Sun's direction, $X_{\Theta}=X/\cos\Theta$, where X is the actual atmospheric depth in \mathbb{S}/cm^2 and Θ the solar zenith angle (see Figure 2). The observed relative amplitude is $\Delta I(X_{\tau},\Theta)/I(X_{\tau},P_{\tau},t)$, where the nucleonic intensity background $I(X_{\tau},P_{\tau},t)$ is a function of atmospheric depth, threshold rigidity P_{τ} and modulation level at the observation time t_{τ}

The standard error & of the relative amplitude is produced by the fluctuations in the cosmic raw background [&(X,P,t) = $-m(X,P_T,t)/\sqrt{I(X,P_T,t)}$ where m is in first approximation the mean detected multiplicity J, therefore will depend also on the size and type (IGY or IGSY) of monitor employed. In Figure 3 we show the expected chanse of the relative amplitude $\Delta I/I$ for a solar neutron event resistered at the risidity threshold of Rome ($P_T = 6.3$ GV), as a function of X and $P_T = 6.3$ GV), as a function length $P_T = 6.3$ for this computation we used the attenuation length $P_T = 6.3$ for a modulation level I($P_T = 6.3$ GV), as a function event a tentative attenuation level I($P_T = 6.3$ GV), as a function event a tentative attenuation length $P_T = 6.3$ for a modulation level I($P_T = 6.3$ GV), as used. This value of $P_T = 6.3$ derived from the June 3, 1982 solar neutron event (see Figure 3). The expected chanse of the relative amplitude for a chanse $P_T = 6.3$ composite the composite that the second composite the relative amplitude for a chanse $P_T = 6.3$ composite the composite that it is a function of $P_T = 6.3$ composite the composite that it is a function of $P_T = 6.3$ composite that it is a function of $P_T = 6.3$ composite that it is a function of $P_T = 6.3$ composite that it is a function of $P_T = 6.3$ composite that it is a function of $P_T = 6.3$ composite that it is a function of $P_T = 6.3$ composite that it is a function of $P_T = 6.3$ composite that it is a function of $P_T = 6.3$ composite that it is a function of $P_T = 6.3$ composite that it is a function of $P_T = 6.3$ composite that it is a function of $P_T = 6.3$ composite that it is a function of $P_T = 6.3$ composite that it is a function of $P_T = 6.3$ composite that it is a function of $P_T = 6.3$ composite that it is a function of $P_T = 6.3$ composite that it is a function of $P_T = 6.3$ composite that it is a function of $P_T = 6.3$ composite that it is a function of $P_T = 6.3$ composite that it is a function of P

uted by

$$\frac{\Delta I(X',\Theta)}{I(X'')} = \frac{\Delta I(X'',\Theta)}{\exp\left(\frac{\lambda X'}{\lambda_{m} \cdot \cos\Theta}\right) I}$$

$$= \frac{\exp\left(\frac{\lambda X'}{\lambda_{m} \cdot \cos\Theta}\right) I}{\exp\left(\frac{\lambda X'}{\lambda_{m} \cdot \cos\Theta}\right) I}$$

In Figure 3 the variation of the inverse of the standard error of the relative amplitude is also plotted. From this plot we may estimate that the value of the signal to noise ratio $\text{EDI/II} \cdot \text{G}^{-1} \simeq 3$ obtained for the June 3, 1982 event registered at Rome ($\Theta \simeq 20^{\circ}$) becomes $\sim\!\!14$ for the same NM-64 placed at an intermediate altitude of 750 s/cm². In Figure 3 the computations relative to Θ -0° are also reported because the results obtained here for F_{+} = 6.3 GV can be applied to any rigidity threshold by simply taking into account the latitude effect of the nucleonic component.

3. Modifications of the standard neutron monitor for improvins the efficiency of detecting solar neutron events. The relative amplitude of the event $\Delta T/I$ for a siven X,0,t and P_T can be increased by decreasing the background cosmic ray intensity I. This could be done in two different ways: changing the energy response of the standard neutron monitor towards lower energies and (b) - by modifying the omnidirectiona) property of the standard neutron monitor in order to have the maximum response for particles approaching the monitor from the Sun direction. A simple was to increase the low eneray repronse and decrease the cosmic ray background is suggested by the energy demendence of the number of neutrons emitted by the nuclear disintegration in lead /4/ ; the number of detected correlated neutrons (multiplicity) will be also function of the energy of the colliding neutron /5/. It is expected that the secondaries produced by solar neutrons of enersy ~ 1GeV /6/ should influence mainly the intensity I, of the channel of detected multiplicity 1; for this channel the relative amplitude of a solar neutron event can be estimated as:

$$\frac{\Delta I_4(X,\Theta)}{I_4(X)} \simeq \frac{\Delta I(X,\Theta)}{I(X)} \cdot K(X) \quad \text{where } K(X) = I(X)/I_4(X) \ ;$$

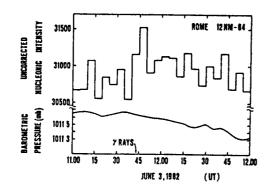
$$\sigma_4(X) = 1/\sqrt{I_4(X)} = \sigma(X) \left[\sqrt{K(X)} / \overline{m}(X) \right]$$

The signal to noise ratio increases by a factor $\overline{m}(X) \cdot \sqrt{K(X)}$, which is $\simeq 2$ for a NM-64 at sea level. In Figure 3 we show the expected change of the relative amplitude $\Delta I/I_4$ and of its $1/\sigma_4$ for a solar neutron event registered by a NM-64 at 6.3 GV, as a function of X and Θ . The attenuation length λ_4 (X) of the detected multiplicity 1 was taken from /7/; K(X) is found to increase with altitude because λ_4 (X) $> \lambda_4$ (X). When only the events with detected multiplicity 1 are registered, it is convenient to increase the probability of detect-

ins the locally produced neutrons; this could be obtained adding some $\mathrm{BF_3}$ -counters to the standard geometry without increasing the amount of lead; for instance, if the detection probability is increased by a factor 2, the signal to noise ratio $\lceil \Delta I_4 / I_4 \rceil \cdot 6_4^{-1}$ will increase by a factor 1.5-2.0. Moreover the background cosmic raw intensity can be largely decreased, at least at middle latitudes, by shielding the monitor with an appropriate structure able to reduce the flux of cosmic ray particles which approach the monitor from the portion of the sky never scanned by the Sun. For instance at 42N seographic latitude we might shield the monitor from \sim 20S to 90N. If the background intensity is reduced by a factor ~ 2 the signal to noise ratio increases by a factor~1.4. This effect can be improved remarkably if the monitor is mounted on a platform which rotates with the Sun; in this case the shielding structure may also cover the lateral sides of the monitor; a possible seometry of this solar neutron telescope is given in Figure 5. With this telescope the cosmic ray backsround can be reduced by a factor 10. In Figure 6 we show, for a proper network of 9 near-equatorial solar neutron telescopes, located at mountain altitude, measuring the intensity of the detected multiplicity 1 and with increased (by a factor 2) probability of detecting the locally produced neutrons, the contour-lines of $(\Delta I_4/I_4).6_4^{-1}$ = A, 2A and 4A respectively, as a function of time (day and hour); the value of A given in Figure 6 was computed for an event with observed relative am-Plitude $\Delta I/I = 0.5 \%$ for $F_T = 6.3GV$, $X = 1010 \text{ s/cm}^2$, $\Theta = 20^\circ$.

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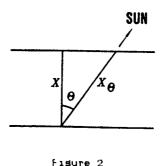


Figure 1

